When Does Statistical Equality Meet Health Equity?

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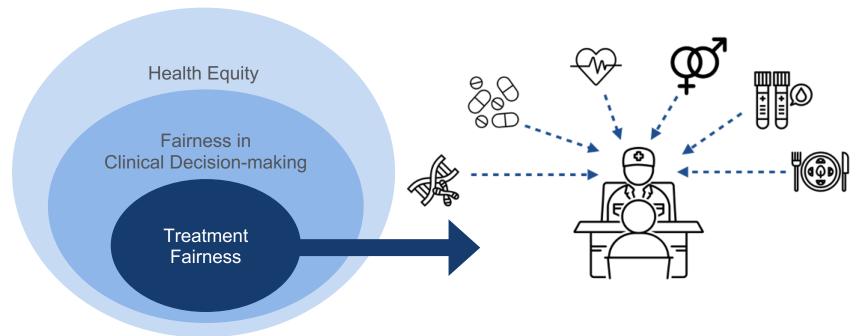
Ph.D. Candidate in Dr. George Hripcsak's Lab OHDSI Symposium 2022 Washington, D.C. Oct 14, 2022





Fairness in Clinical Decision-making

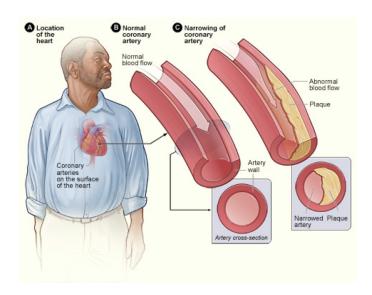
- Fairness in clinical decision-making is an important component of health equity.
- Many factors could potentially affect a treatment decision.



Goal: Assess fairness of treatment allocation with EHRs.

Example: Coronary Artery Disease

- Heart disease is the leading cause of death in the United States.
- Coronary heart disease is the most common type of heart disease, killing 382,820 people in 2020.



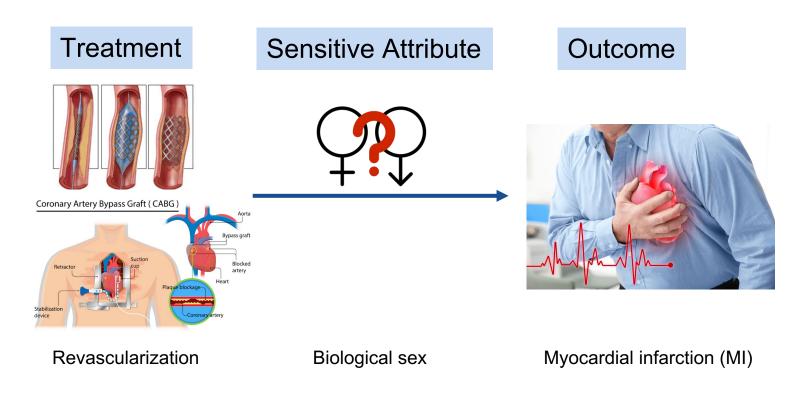
Coronary Artery Disease (CAD)



Myocardial infarction (MI)

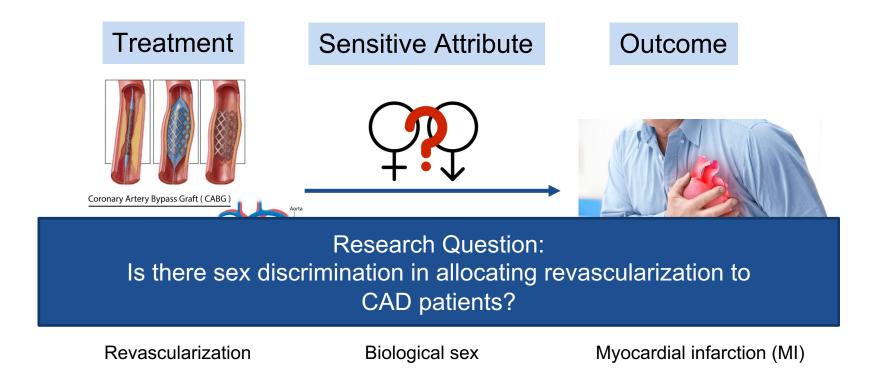
Example: Coronary Artery Disease

 Women, racial and ethnic minorities, patients without health insurance, and those who live in low-income neighborhoods may have inadequate access to revascularization procedures.



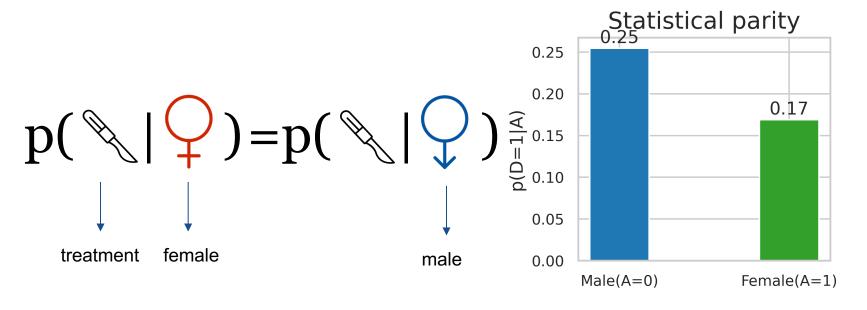
Example: Coronary Artery Disease

 Women, racial and ethnic minorities, patients without health insurance, and those who live in low-income neighborhoods may have inadequate access to revascularization procedures.



Statistical Parity

Question: Is the treatment assigned at equal rate between men and women?



Result: Male patients were more likely to receive revascularization treatment than female patients. Bias against women.

Many Definitions of Fairness are Available

Associational Fairness

- Statistical Parity
- Calibration
- Accuracy

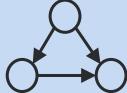


Input: Data

Causal Fairness

- Principal Fairness
- Counterfactual Fairness
- Path-Specific Fairness





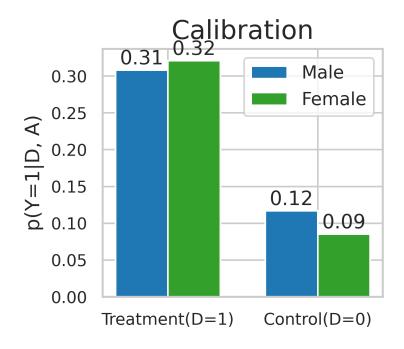
Input: Data + Causal Knowledge

Do they lead to same conclusions? If not, which one to believe?

Calibration

Question: Does heart attack happen at equal rate between men and women, given their treatment status?

Calibration



Result: Heart attack happened more frequently for male patients than for female patients in the control group. Maybe bias against men?

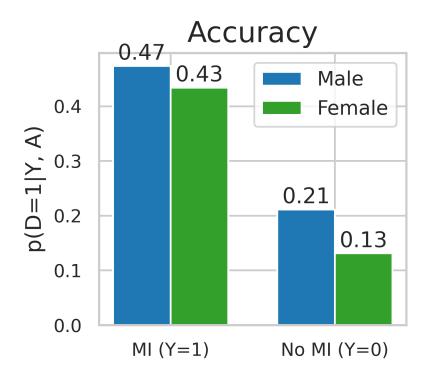
Accuracy

Question: Is the treatment assigned at equal rate between men and women, given their (observed) outcome?

$$p(\mathbb{Q}|\mathbb{Q},\mathbb{Q}) = p(\mathbb{Q}|\mathbb{Q},\mathbb{Q})$$
and

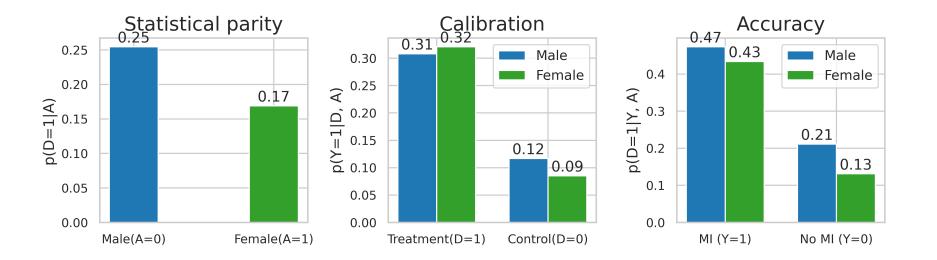
$$p(\mathbb{Q}|\mathbb{Q},\mathbb{Q}) = p(\mathbb{Q}|\mathbb{Q},\mathbb{Q})$$

Accuracy



Result: Male patients are more likely to receive the treatment than female patients, regardless of their outcome status. Bias against women.

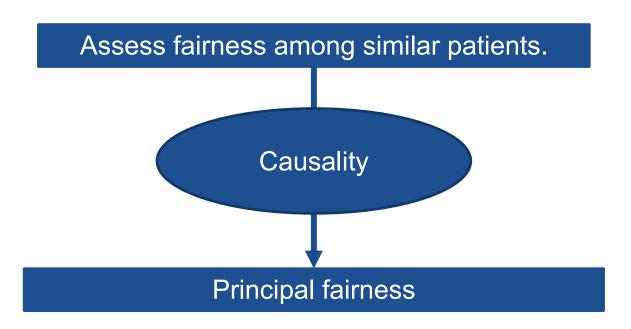
Limitations of Associational Definitions



- Conclusions about fairness differ depending on which metric we use.
- Which metric to use potentially depends on :
 - o Is there a baseline difference between men and women?
 - Does the treatment work equally well for men and women?
 - Does the physiological mechanism of the disease depend on sex?

From Associational to Causal Fairness

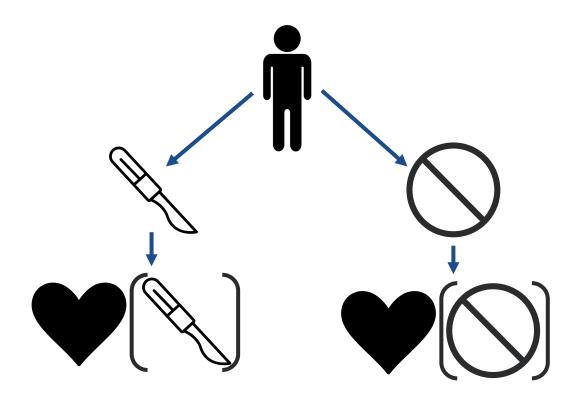
- Fairness can be more rigorously defined using causal reasoning.
- Patient similarity can be defined by their response to treatments, known as potential outcomes.



Principal Fairness: A Causal Fairness

Treatment

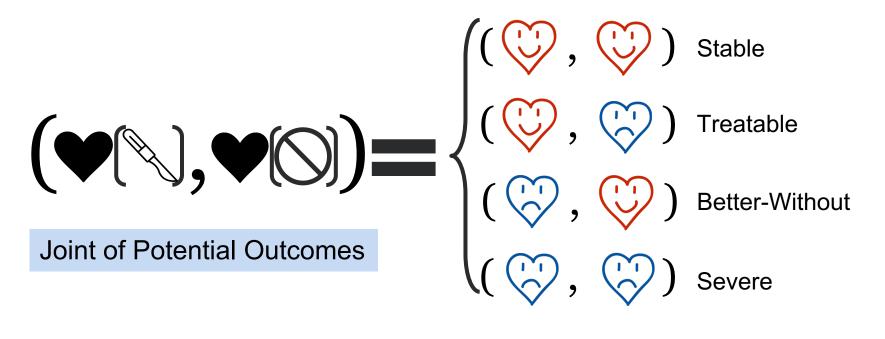
Potential Outcomes



Kosuke Imai, Zhichao Jiang. Principal Fairness for Human and Algorithmic Decision-Making. arXiv. 2021

Principal Fairness: A Causal Fairness

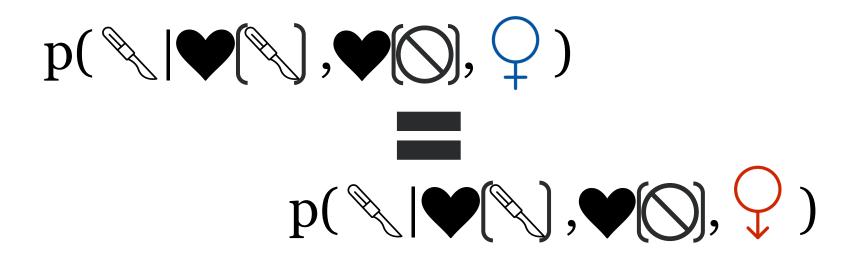
 Patients in the same principal stratum are considered to be able to benefit equally from a treatment.



Principal Strata

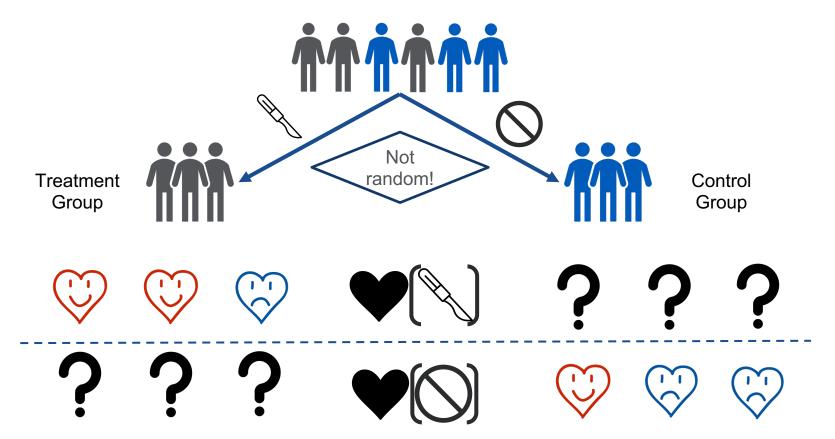
Principal Fairness: A Causal Fairness

 A treatment satisfies principal fairness if the treatment is assigned at equal rates between men and women who would benefit equally from the treatment (i.e., patients in the same principal stratum).



A Fundamental Problem in Causal Inference

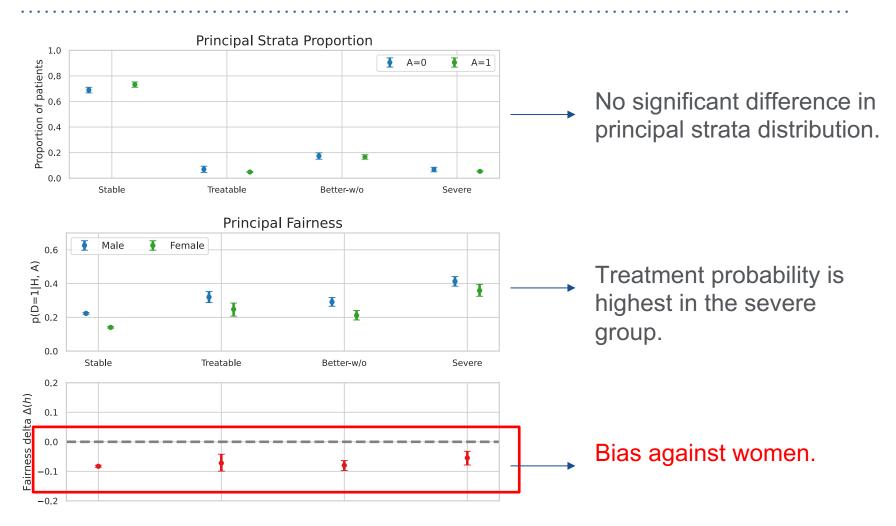
Only half of the potential outcomes are observed.



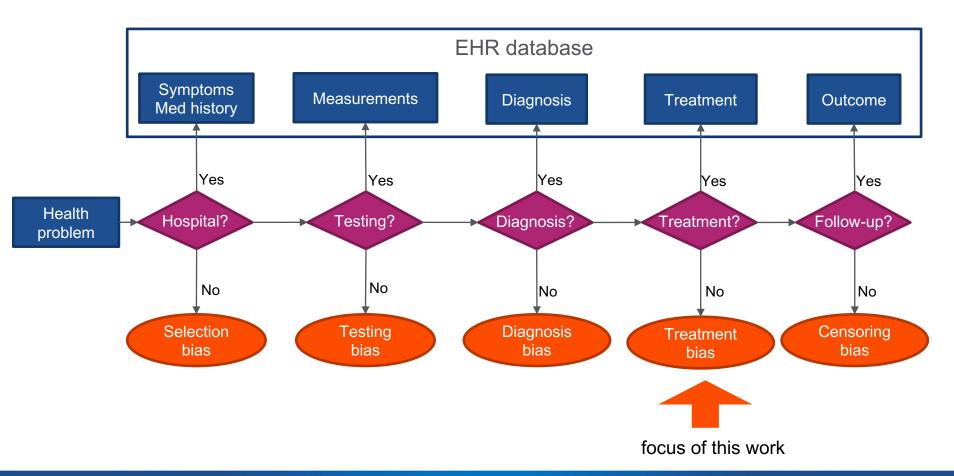
A Bayesian Principal Fairness Assessment Algorithm

Algorithm 1: Bayesian Principal Fairness Assessment Algorithm **Input:** $\mathcal{D} = \{D_i, A_i, \mathbf{X}_i, Y_i\}_{i=1}^n$ Output: $\Delta(h) \ \forall h$ Estimate $q_{\phi}(\theta_{y_0})$ with VI Estimate functions of potential outcomes Estimate $q_{\phi}(\theta_{y_1})$ with VI for $s \leftarrow 1$ to S do $\begin{array}{l} \theta_{y_0} \sim q(\theta_{y_0}) \\ \theta_{y_1} \sim q(\theta_{y_1}) \end{array} \right\}$ Sample parameters from the posteriors $\operatorname{Bern}\left(p(Y_i(0) \mid X_i, A_i, \theta_{y_0})\right), i \in \mathcal{I}_1 \\ Y_i(1) \sim \\ \operatorname{Bern}\left(p(Y_i(1) \mid X_i, A_i, \theta_{y_1})\right), i \in \mathcal{I}_0$ Estimate potential outcomes $Y_i(1) \sim$ Assign $H_i = (Y_i(0), Y_i(1))$ Estimate principal strata and Compute $\Delta(h) \ \forall h$ principal fairness end

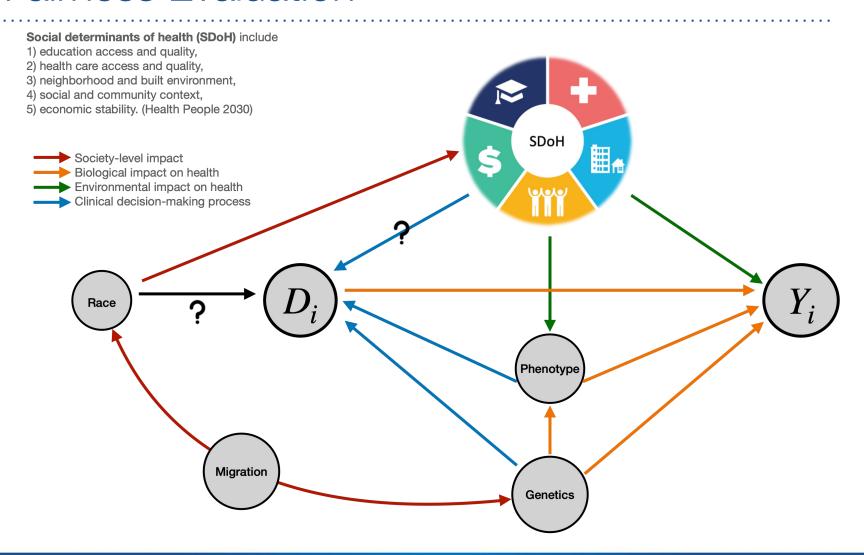
Principal Fairness (Sex)



Bias in the health care process



Causal Reasoning and Causal Inference for Fairness Evaluation



Conclusions and Future Directions

Statistical Equality ≠ Health Equity

Causality is important in fairness assessment.

Accounting for bias from multiple stages and multiple sources is important in health care.

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